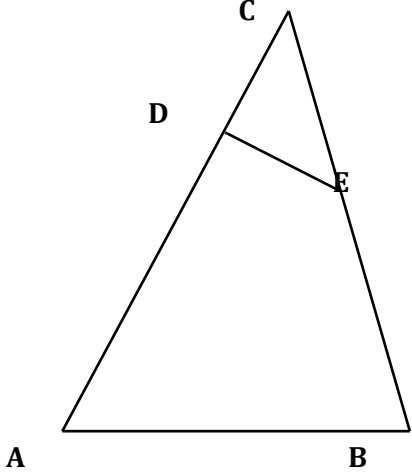
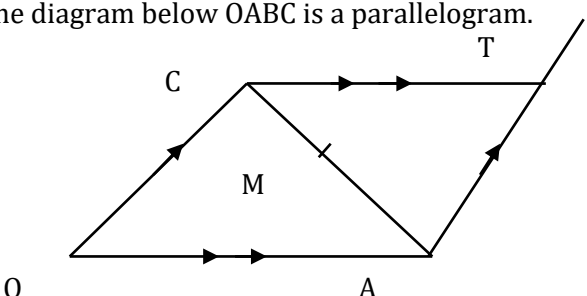


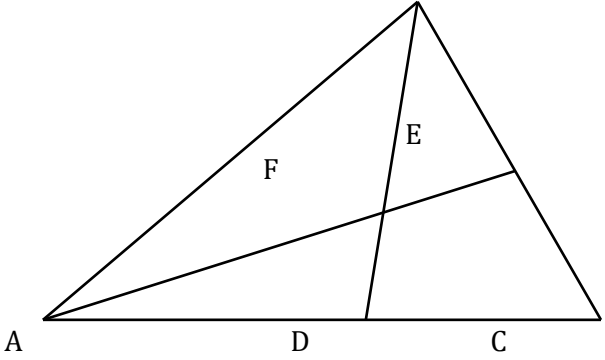
NAME \_\_\_\_\_ INDEX NUMBER \_\_\_\_\_

SCHOOL \_\_\_\_\_ DATE \_\_\_\_\_

## VECTORS

KCSE 1989 – 2012 Form 2 Mathematics	Working Space
<p>1. <b>1989 Q11 P2</b>                      In the figure below, <math>\mathbf{AB} = \mathbf{p}</math>, <math>\mathbf{AD} = \frac{3}{5}\mathbf{AC}</math> and <math>\mathbf{CE} = \frac{2}{3}\mathbf{CB}</math></p> <div style="text-align: center; margin: 20px 0;">  </div> <p>Express <math>\mathbf{DE}</math> in terms of <math>\mathbf{p}</math> and <math>\mathbf{q}</math></p>	
<p>2. <b>1990 Q21 P1</b>                      In a parallelogram ABCD, <math>\mathbf{AB} = 2\mathbf{a}</math> and <math>\mathbf{AD} = \mathbf{b}</math>. M is the midpoint of AB. AC cut MD at X.</p> <p>i) Express AC in terms of <math>\mathbf{a}</math> and <math>\mathbf{b}</math> (2 marks)</p> <p>ii) Given that <math>\mathbf{AX} = m\mathbf{AC}</math> and <math>\mathbf{MX} = n\mathbf{MD}</math>, where m and n are constants, find m and n.</p> <p style="text-align: right; margin-top: 20px;">(6 marks)</p>	

		Working Space
3.	<p><b>1990 Q8 P2</b>                      In a triangle ABC, D is the midpoint of AB and E is a point on BC such that <math>BE = \frac{2}{3} BC</math>. If <math>\mathbf{AD} = \mathbf{p}</math> and <math>\mathbf{AC} = \mathbf{q}</math>, express <math>\mathbf{EC}</math> in terms of <math>\mathbf{p}</math> and <math>\mathbf{q}</math>.                      (2 marks)</p>	
4.	<p><b>1990 Q10 P2</b>                      A point T divides a line AB internally in the ratio 5 : 2. Given that A is (-4, 10) And B is (10, 3) find the coordinates of T.                      (4 marks)</p>	
5.	<p><b>1991 Q6 P1</b>                      In the diagram below OABC is a parallelogram.</p>  <p>AB is produced to T such that <math>BT : AB = 1 : 2</math>. M is the midpoint of AC. Given that <math>\mathbf{OA} = \mathbf{a}</math> and <math>\mathbf{OC} = \mathbf{c}</math>. Express <math>\mathbf{MT}</math> in term of <math>\mathbf{a}</math> and <math>\mathbf{c}</math>.                      (3 marks)</p>	

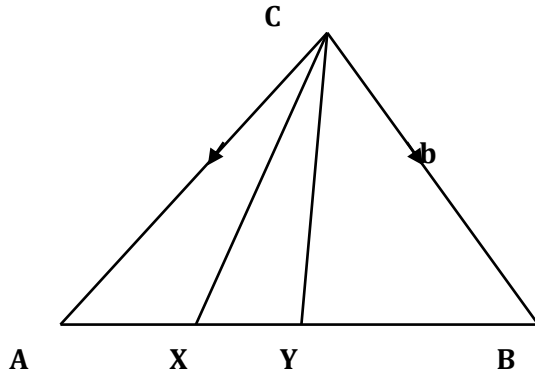
		Working Space
6.	<p><b>1991 Q20 P1</b>            In the figure below E is the midpoint of BC, AD: DC = 3:2 and F is the point of intersection of BD and DE.            B</p>  <p>i) Given that <math>\mathbf{AB} = \mathbf{b}</math> and <math>\mathbf{AC} = \mathbf{c}</math> express <math>\mathbf{AE}</math> and <math>\mathbf{BD}</math> in terms of b and c (3 marks)</p> <p>ii) Given further that <math>\mathbf{BF} = t\mathbf{BD}</math> and <math>\mathbf{AF} = s\mathbf{AE}</math> find the values of s and t. (5 marks)</p>	
7.	<p><b>1992 Q11 P1</b>            Three points A, B and P are in straight line such that <math>\mathbf{AP} = t\mathbf{AB}</math>. Given that the coordinates of A, B and P are (3,4) (8,7) and (x,y) respectively, express x and y in terms of t. (3marks)</p>	

		Working Space
8.	<p><b>1992 Q24 P1</b>                      OABC is a trapezium such that the coordinates of O,A,B and C are (0,0),(2,-1), (4, 3) and (0, y).                      a) Find the value of y (2 marks)                      b) M is a midpoint of AB and N is a midpoint of OM. Show that A, N and C are collinear. (6 marks)</p>	
9.	<p><b>1992 Q7 P2</b>                      The vectors <math>\mathbf{p}</math>, <math>\mathbf{q}</math> and <math>\mathbf{y}</math> are expressed in terms of the vectors <math>\mathbf{t}</math> and <math>\mathbf{s}</math> as follow:  <math>\mathbf{p} = 3\mathbf{t} + 2\mathbf{s}</math>  <math>\mathbf{q} = 5\mathbf{t} - \mathbf{s}</math>  <math>\mathbf{y} = h\mathbf{t} + (h - k)\mathbf{s}</math>                      where <math>h</math> and <math>k</math> are constants. Given that <math>\mathbf{y} = 2\mathbf{p} - 3\mathbf{q}</math>, find the values of <math>h</math> and <math>k</math>. (4marks)</p>	
10	<p><b>1993 Q21 P1</b>                      OABC is a trapezium in which <math>\mathbf{OA} = \mathbf{a}</math>, <math>\mathbf{OC} = \mathbf{c}</math> and <math>\mathbf{CB} = 3\mathbf{a}</math>. CB is produced to such that <math>CB : BD = 3 : 1</math>. E is a point on AB such that <math>\mathbf{AB} = 2\mathbf{AE}</math>. Show that O, E and d are collinear.                      (8 marks)</p>	

11

**1993 Q16 P1**

In the figure below  $CA = b$ ,  $CB = a$ ,  $AX = XY$  and  $AY = YB$ .

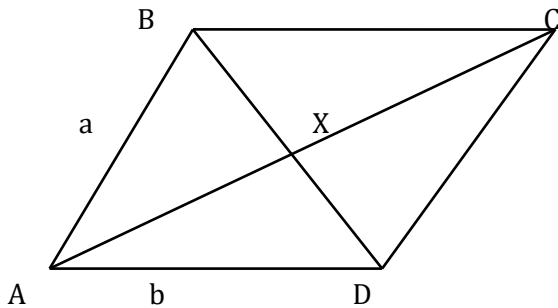


Express  $CX$  in terms of  $a$  and  $b$  (3 marks)

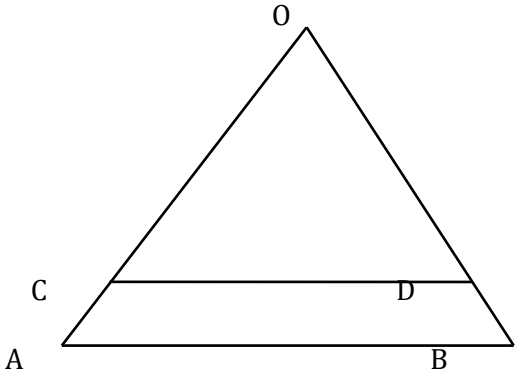
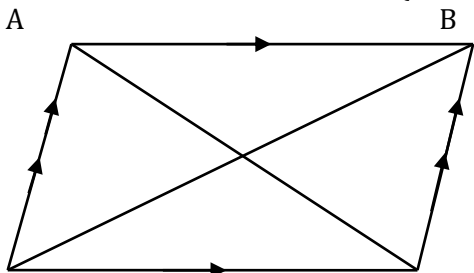
12

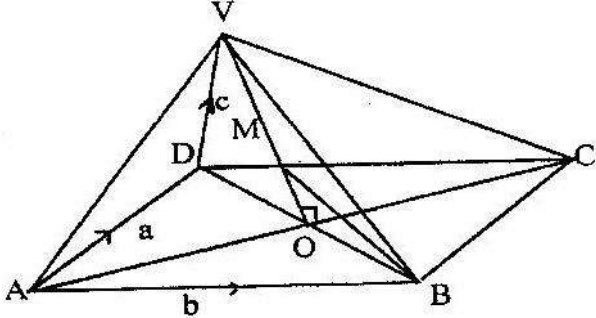
**1994 Q24 P1**

In the figure below  $AB = a$ ,  $AD = b$ ,  $AX : XC = 2:3$  and  $XB = 4:5$



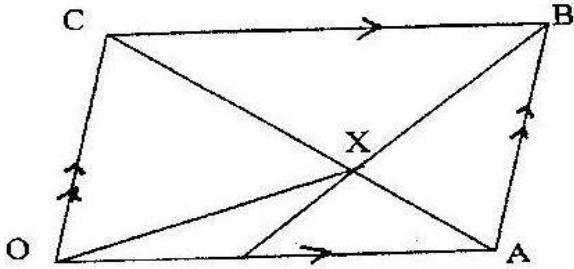
- a) Express
- i)  $AC$
  - ii)  $DC$  in terms of  $a$  and  $b$  in the simplest form. (6 marks)
- b) If  $DC = na + mb$ , find the values of  $n$  and  $m$  (2 marks)

		Working Space
13	<p><b>1994Q12P2</b>                      Find the position vector of point R which divides line MN internally in the ratio 2: 3.                      Take the position vectors of M and N to be</p> $\mathbf{M} = \begin{pmatrix} 3 \\ 4 \\ -5 \end{pmatrix} \quad \text{and} \quad \mathbf{N} = \begin{pmatrix} 4 \\ -6 \\ -12 \end{pmatrix}$ <p>(3 marks)</p>	
14	<p><b>1994 Q10 P2</b>                      In the figure below <math>OC = 3 CA</math> and <math>OD = 3DB</math>. By taking <math>OA = a</math>, <math>OB = b</math>, show that <math>CD \parallel AB</math>. (3 marks)</p> 	
15	<p><b>1994 Q15 P2</b>                      In the figure below ABCD is a parallelogram. AOC and BOD are diagonals of the parallelogram. Show that the diagonals of the parallelogram bisect each other. Give reasons. (3 marks)</p> 	

	D C	Working Space
16	<p><b>1995 Q 18 P1</b>                      The figure below is a right pyramid with a rectangular base ABCD and VO as the height. The vectors <math>\mathbf{AD} = \mathbf{a}</math>, <math>\mathbf{AB} = \mathbf{b}</math> and <math>\mathbf{DV} = \mathbf{c}</math></p>  <p>a) Express (i) <math>\mathbf{AV}</math> in terms of <math>\mathbf{a}</math> and <math>\mathbf{c}</math> ( 1 mark)                      (ii) <math>\mathbf{BV}</math> in terms of <math>\mathbf{a}</math>, <math>\mathbf{b}</math> and <math>\mathbf{c}</math> ( 2 marks)</p> <p>(b) M is point on <math>\mathbf{OV}</math> such that <math>\mathbf{OM} : \mathbf{MV} = 3:4</math>, Express <math>\mathbf{BM}</math> in terms of <math>\mathbf{a}</math>, <math>\mathbf{b}</math> and <math>\mathbf{c}</math>. Simplify your answer as far as possible ( 5 marks)</p>	

17 **1996 Q 22 P1**

a) In the diagram below OABC is a parallelogram,  $\mathbf{OA} = \mathbf{a}$  and  $\mathbf{AB} = \mathbf{b}$ . N is a point on  $\mathbf{OA}$  such that  $\mathbf{ON} : \mathbf{NA} = 1 : 2$



(b) Find

(i)  $\mathbf{AC}$  in terms of  $\mathbf{a}$  and  $\mathbf{b}$

(ii)  $\mathbf{BN}$  in terms of  $\mathbf{a}$  and  $\mathbf{b}$

(c) The lines  $\mathbf{AC}$  and  $\mathbf{BN}$  intersect at  $\mathbf{X}$ ,

$\mathbf{AX} = h\mathbf{AC}$  and  $\mathbf{BX} = k\mathbf{BN}$

(i) By expressing  $\mathbf{OX}$  in two ways, find the values of  $h$  and  $k$

(ii) Express  $\mathbf{OX}$  in terms of  $\mathbf{a}$  and  $\mathbf{b}$  (1 mark)

Working Space

18 **1997 Q 11 P2**

ABC is a triangle and P is on AB such that P divides AB internally in the ratio 4:3. Q is a point on AC such that PQ is parallel to BC. If  $\mathbf{AC} = 14$  cm

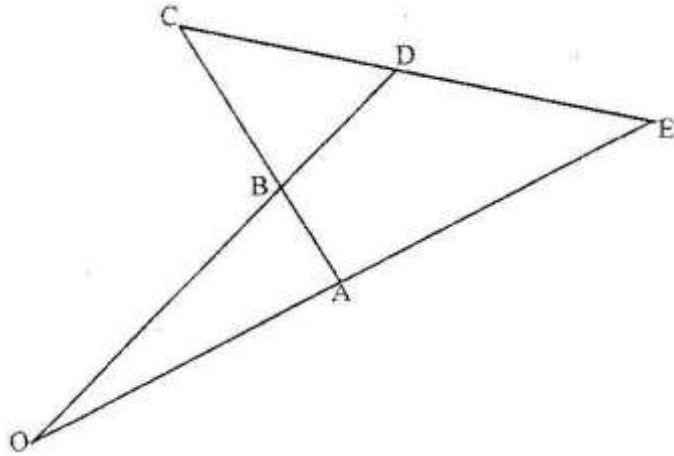
(i) State the ratio  $\mathbf{AQ} : \mathbf{QC}$

(ii) Calculate the length of  $\mathbf{QC}$

19 **1997 Q 22 P1**

In the figure below  $\mathbf{OA} = \mathbf{a}$ ,  $\mathbf{OB} = \mathbf{b}$ ,  $\mathbf{AB} = \mathbf{BC}$  and  $\mathbf{OB} : \mathbf{BD} = 3 : 1$



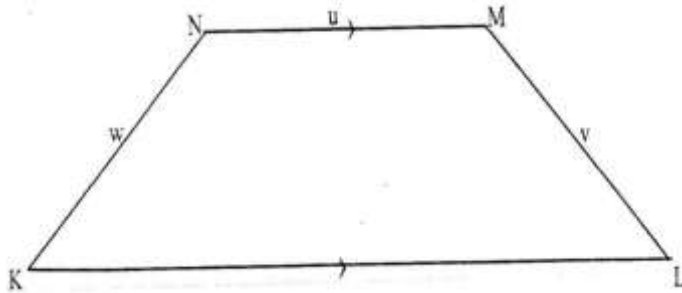


Working Space

- (a) Determine
- (i)  $\mathbf{AB}$
  - (ii)  $\mathbf{CD}$ , in terms of  $\mathbf{a}$  and  $\mathbf{b}$
- (b) If  $CD : DE = 1:k$  and  $OA:AE = 1: m$  determine
- (i)  $\mathbf{DE}$  in terms of  $\mathbf{a}$ ,  $\mathbf{b}$  and  $k$

20 **1998 Q 9 P2**

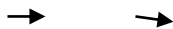
In the figure, KLMN is a trapezium in which KL is parallel to NM and  $KL = 3 NM$

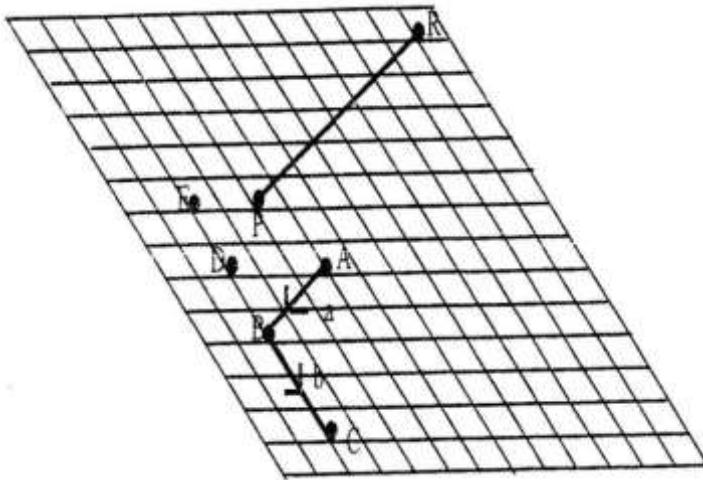


Given that  $KN = w$ ,  $NM = u$  and  $ML = v$ . Show that  $2u = v + w$

21 **1998 Q 22 P1**

The figure below shows a grid of equally spaced parallel lines



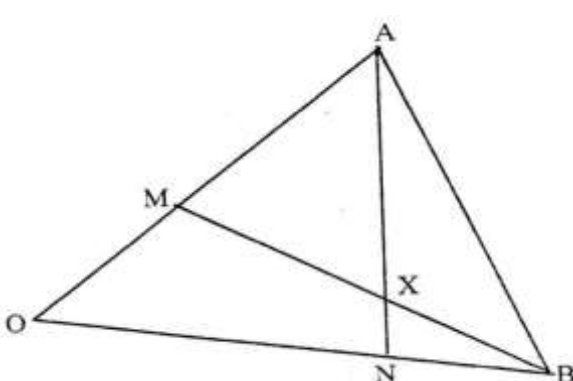


$AB = \mathbf{a}$  and  $BC = \mathbf{b}$

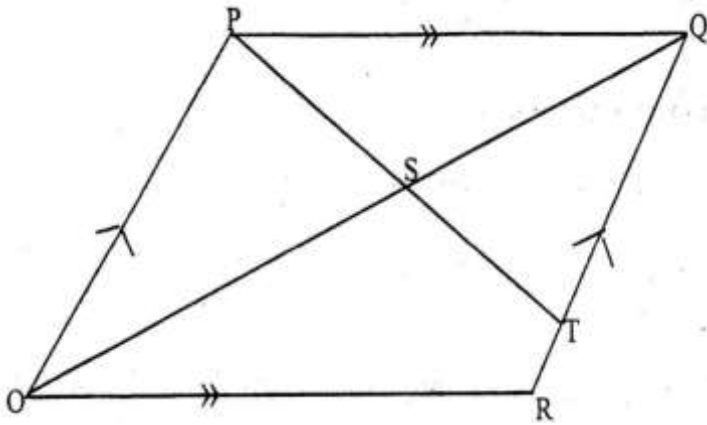
Working Space

- (a) Express
- (i)  $\mathbf{AC}$  in terms of  $\mathbf{a}$  and  $\mathbf{b}$
  - (ii)  $\mathbf{AD}$  in terms of  $\mathbf{a}$  and  $\mathbf{b}$ .
- (b) Using triangle  $BEP$ , express  $\mathbf{BP}$  in terms of  $\mathbf{a}$  and  $\mathbf{b}$
- (c)  $PR$  produced meets  $BA$  produced at  $X$  and  
 $\mathbf{PR} = \frac{1}{9}\mathbf{b} - \frac{8}{3}\mathbf{a}$
- By writing  $\mathbf{PX}$  as  $k\mathbf{PR}$  and  $\mathbf{BX}$  as  $h\mathbf{BA}$  and using the triangle  $BPX$  determine the ratio  $PR:RX$

22 **1999 Q 14 P2**  
 The points  $P, Q$  and  $R$  lie on a straight line. The position

	<p>vectors of P and R are <math>2i + 2j + 13k</math> and <math>5i - 3j + 4k</math> respectively. Q divides PR Internally in the ratio 2:1. Find the</p> <p>(a) Position vector of Q.                  (b) Distance of Q from the origin</p>	
23	<p><b>1999 Q 21 P1</b>                  In triangle OAB, <math>\mathbf{OA} = \mathbf{a}</math>, <math>\mathbf{OB} = \mathbf{b}</math> and P lies on AB such that AP: BP = 3:5</p> <p>(a) Find the terms of <math>\mathbf{a}</math> and <math>\mathbf{b}</math> the vectors</p> <p>(i) <math>\mathbf{AB}</math>                  (ii) <math>\mathbf{AP}</math>                  (iii) <math>\mathbf{BP}</math>                  (iv) <math>\mathbf{OP}</math></p> <p>(b) Point Q is on OP such <math>AQ = \frac{-5}{8}\mathbf{a} + \frac{9}{40}\mathbf{b}</math>. Find the ratio OQ: QP</p>	
		Working Space
24	<p><b>2000 Q 21 P1</b>                  The figure below shows triangle OAB in which M divides OA in the ratio 2: 3 and N divides OB in the ratio 4:1 AN and BM intersect at X.</p> 	

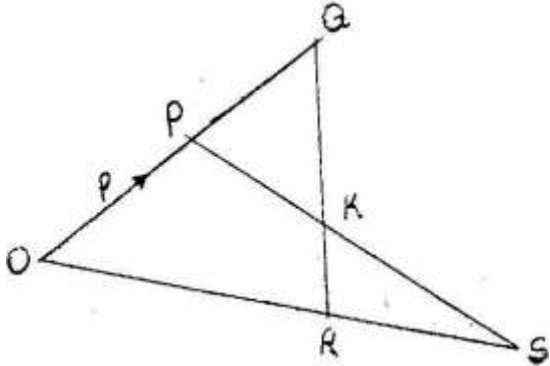
	<p>(a) Given that <math>OA = \mathbf{a}</math> and <math>OB = \mathbf{b}</math>, express in terms of <math>\mathbf{a}</math> and <math>\mathbf{b}</math>:</p> <p style="padding-left: 40px;">(i) <math>\mathbf{AN}</math> (ii) <math>\mathbf{BM}</math></p> <p>(b) If <math>\mathbf{AX} = s\mathbf{AN}</math> and <math>\mathbf{BX} = t\mathbf{BM}</math>, where <math>s</math> and <math>t</math> are constants, write two expressions for <math>\mathbf{OX}</math> in terms of <math>\mathbf{a}, \mathbf{b}</math>, <math>s</math> and <math>t</math>. Find the value of <math>s</math>. Hence write <math>\mathbf{OX}</math> in terms of <math>\mathbf{a}</math> and <math>\mathbf{b}</math>.</p>	
<p>25</p>	<p><b>2001 Q 16 P1</b> The position vectors for points <math>P</math> and <math>Q</math> are <math>4\mathbf{i} + 3\mathbf{j} + 2\mathbf{k}</math> and <math>3\mathbf{i} - 6\mathbf{j} + 6\mathbf{k}</math> respectively. Express vector <math>\mathbf{PQ}</math> in terms of unit vectors <math>\mathbf{i}, \mathbf{j}</math> and <math>\mathbf{k}</math>. Hence find the length of <math>\mathbf{PQ}</math>, leaving your answer in simplified form.</p>	<p style="text-align: right;">Working Space</p>
<p>26</p>	<p><b>2001 Q 19 P1</b> The figure below shows a parallelogram <math>OPQR</math> with <math>O</math> as the origin, <math>\mathbf{OP} = \mathbf{p}</math> and <math>\mathbf{OR} = \mathbf{r}</math>, Point <math>T</math> divides <math>RQ</math> in the ratio <math>1:4</math> and <math>PT</math> Meets <math>OQ</math> at <math>S</math>.</p>	



- (a) Express in terms of  $\mathbf{p}$  and  $\mathbf{r}$  the vectors
- $\mathbf{OQ}$
  - $\mathbf{OT}$
- (b) Vector  $\mathbf{OS}$  can be expressed in two ways:  $m\mathbf{OQ}$  or  $\mathbf{OT} + n\mathbf{TP}$ , Where  $m$  and  $n$  are constants express  $\mathbf{OS}$  in terms of
- $m$ ,  $\mathbf{p}$  and  $\mathbf{r}$
  - $n$ ,  $\mathbf{p}$  and  $\mathbf{r}$
- Hence find the:
- Value on  $m$
  - Ratio  $OS:SQ$

27 **2002 Q 10 P2**

The coordinates of points  $O, P, Q$  and  $R$  are  $(0,0)$ ,  $(3,4)$ ,  $(11,6)$  and  $(8,2)$  respectively. A point  $T$  is such that vectors  $\mathbf{OT}, \mathbf{QP}$  and  $\mathbf{QR}$  satisfy the vector equation.  $\mathbf{OT} = \mathbf{QP} + \frac{1}{2}\mathbf{QR}$ . Find the coordinates of  $T$ .

28	<p><b>2002 Q 4 P1</b>                  The position vectors of points X and Y are <math>x=2\mathbf{i} + \mathbf{j} - 3\mathbf{k}</math> and <math>y=3\mathbf{i} + 2\mathbf{j} - 2\mathbf{k}</math> respectively. Find <b>XY</b></p>	Working Space
29	<p><b>2003 Q 6 P1</b>                  Given that <math>x = 2\mathbf{i} + \mathbf{j} - 2\mathbf{k}</math>, <math>y = -3\mathbf{i} + 4\mathbf{j} - \mathbf{k}</math> and <math>z = -5\mathbf{i} + 3\mathbf{j} + 2\mathbf{k}</math> and that <math>p = 3x - y + 2z</math>. Find the magnitude of vector p to 3 significant figure (4mks)</p>	
30	<p><b>2003 Q 21 P1</b>                  In the figure below, vector <math>OP = \mathbf{p}</math> and <math>OR = \mathbf{r}</math>. Vector <math>OS = 2\mathbf{r}</math> and <math>OQ = \frac{3}{2}\mathbf{p}</math>.</p>  <p>a) Express in terms of p and r (i) <b>QR</b> and (ii) <b>PS</b>                  b) The lines QR and PS intersect at K such that <b>QK = m QR</b> and <b>PK = n PS</b>, where m and n are scalars. Find two distinct expressions for <b>OK</b> in terms of p, r, m and n. Hence find the values of m and n. (5mks)                  c) State the ratio PK:KS</p>	
31	<p><b>2004 Q 4 P1</b>                  Given that <math>\mathbf{OA} = 3\mathbf{i} - 2\mathbf{j} + \mathbf{k}</math> and <math>\mathbf{OB} = 4\mathbf{i} + \mathbf{j} - 3\mathbf{k}</math>. Find the distance between points A and B to 2 decimal places.</p>	

		Working Space
32	<p><b>2004 Q 21 P1</b></p> <p>a) If A, B and C are the points P and Q are <math>\mathbf{p}</math> and <math>\mathbf{q}</math> respectively is another point with position vector <math>\mathbf{r} = \frac{3}{2}\mathbf{q} - \frac{1}{2}\mathbf{p}</math>. Express in terms of <math>\mathbf{p}</math> and <math>\mathbf{q}</math>.</p> <p>i) <b>PR</b></p> <p>ii) <b>RQ</b> hence show that P, Q and R are collinear.</p> <p>iii) Determine the ratio PQ: QR.</p>	
33	<p><b>2005 Q 13 P1</b></p> <p>Point T is the midpoint of a straight line AB. Given the position vectors of A and T are <math>\mathbf{i} - \mathbf{j} + \mathbf{k}</math> and <math>2\mathbf{i} + \frac{1}{2}\mathbf{k}</math> respectively, find the position vector of B in terms of <math>\mathbf{i}</math>, <math>\mathbf{j}</math> and <math>\mathbf{k}</math>. ( 3 marks)</p>	
34	<p><b>2005 Q 18 P1</b></p> <p>The points P, Q, R and S have position vectors <math>2\mathbf{p}</math>, <math>3\mathbf{p}</math>, <math>\mathbf{r}</math> and <math>3\mathbf{r}</math> respectively, relative to an origin O. A point T divides PS internally in the ratio 1:6</p> <p>(a) Find, in the simplest form, the vectors <b>OT</b> and <b>QT</b> in terms <b>P</b> and <b>r</b> ( 4 marks)</p> <p>(b) (i) Show that the points Q, T, and R lie on a straight line ( 3 marks)</p> <p>(ii) Determine the ratio in which T divides QR ( 1 mark)</p>	



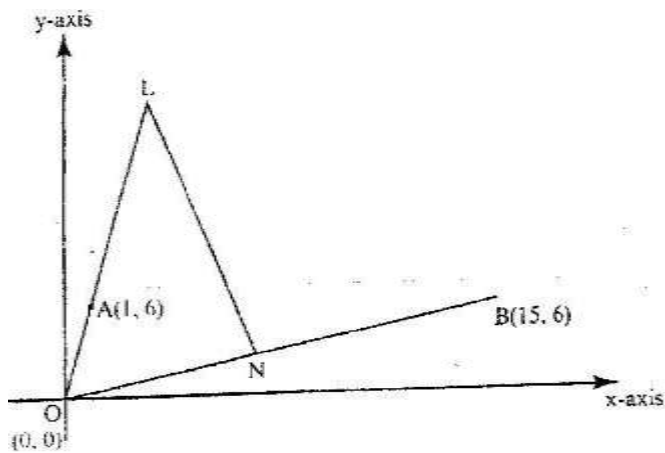
35 **2006 Q 12 P1**

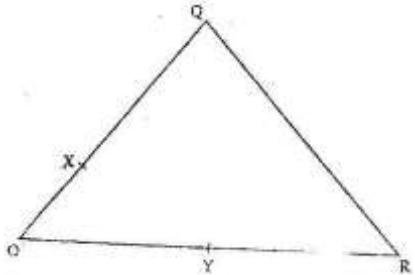
Two points P and Q have coordinates  $(-2, 3)$  and  $(1, 3)$  respectively. A translation map point P to  $P' (10, 10)$

- a) Find the coordinates of  $Q'$  the image of Q under the translation (1 mark)  
(ii) The position vector of  $P$  and  $Q$  in (a) above are  $p$  and  $q$  respectively given that  $mp - nq = (-12 \ 9)$  (3 marks)
- b) Find the value of  $m$  and  $n$

36 **2006 Q 22 P1**

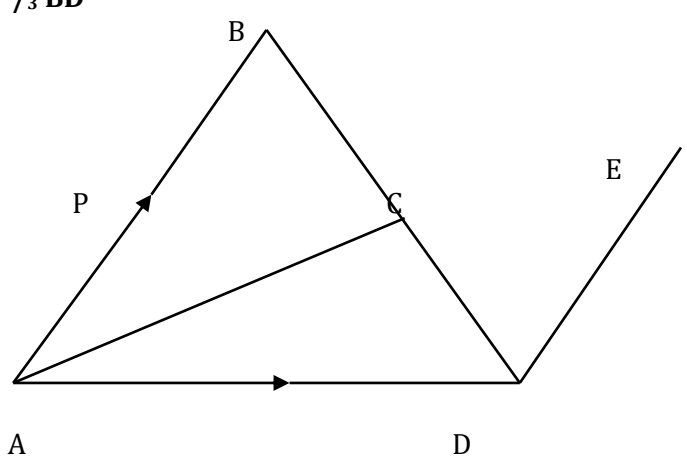
In the diagram below, the coordinates of points A and B are  $(1, 6)$  and  $(15, 6)$  respectively. Point N is on OB such that  $3 ON = 2OB$ . Line OA is produced to L such that  $OL = 3 OA$



	<p>(a) Find vector LN ( 3 marks)</p> <p>(b) Given that a point M is on LN such that LM: MN = 3: 4, find the coordinates of ( 2 marks)</p> <p>(c) If line OM is produced to T such that OM: MT = 6:1</p> <p>(i) Find the position vector of T (1 mark)</p> <p>(ii) Show that points L, T and B are collinear (4 marks)</p>	<p>Working Space</p>
<p>37</p>	<p><b>2006 Q 9 P2</b></p> <p>Given that <math>q \mathbf{i} + \frac{1}{3} \mathbf{j} + \frac{2}{3} \mathbf{k}</math> is a unit vector, find q ( 2 marks)</p>	
<p>38</p>	<p><b>2007 Q 21 P1</b></p> <p>In the figure below, <math>\mathbf{OQ} = q</math> and <math>\mathbf{OR} = r</math>. Point X divides OQ in the ratio 1: 2 and Y divides OR in the ratio 3: 4 lines XR and YQ intersect at E.</p> 	

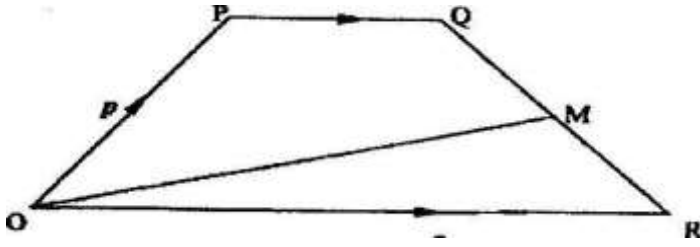
	<p>(a) Express in terms of <math>q</math> and <math>r</math></p> <p>(i) <math>\mathbf{XR}</math> (1 mark)</p> <p>(ii) <math>\mathbf{YQ}</math> (1 mark)</p> <p>(b) If <math>\mathbf{XE} = m \mathbf{XR}</math> and <math>\mathbf{YE} = n \mathbf{YQ}</math>, express <math>\mathbf{OE}</math> in terms of: (1 mark)</p> <p>(i) <math>r, q</math> and <math>m</math></p> <p>(ii) <math>r, q</math> and <math>n</math> (1 mark)</p> <p>(c) Using the results in (b) above, find the values of <math>m</math> and <math>n</math>. (6 marks)</p>	
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39	<p><b>2007 Q 12 P2</b></p> <p>Vector <math>q</math> has a magnitude of 7 and is parallel to vector <math>p</math>. Given that <math>p = 3\mathbf{i} - \mathbf{j} + 1\frac{1}{2}\mathbf{k}</math>, express vector <math>q</math> in terms of <math>\mathbf{i}, \mathbf{j}</math>, and <math>\mathbf{k}</math>. (2 marks)</p>	Working Space
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40	<p><b>2008 Q 19 P2</b></p> <p>In the figure below <math>\mathbf{AB} = \mathbf{p}</math>, <math>\mathbf{AD} = \mathbf{q}</math>, <math>\mathbf{DE} = \frac{1}{2} \mathbf{AB}</math> and <math>\mathbf{BC} = \frac{2}{3} \mathbf{BD}</math></p>  <p>a) Find in terms of <math>p</math> and <math>q</math> the vectors: (1mk)</p> <p>(i) <math>\mathbf{BD}</math>; (1mk)</p> <p>(ii) <math>\mathbf{BC}</math>; (1mk)</p> <p>(iii) <math>\mathbf{CD}</math>; (1mk)</p> <p>(iv) <math>\mathbf{AC}</math>. (2mks)</p> <p>b) Given that <math>\mathbf{AC} = k\mathbf{CE}</math>, where <math>k</math> is a scalar, find</p> <p>(i) The value of <math>k</math> (4mks)</p> <p>(ii) The ratio in which <math>C</math> divides <math>AE</math> (1mk)</p>	Working Space
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41	<p><b>2008 Q 4 P2</b></p> <p>The position vectors of points A and B are <math>(3 - 1 - 4)</math> and <math>(8 - 6 6)</math> respectively.</p> <p>A point P divides AB in the ratio 2:3. Find the position Vector of point P. (3mks)</p>	
42	<p><b>2009 Q 20 P1</b></p> <p>The position vectors of point A and B with respect to the O, are <math>(-8 5)</math> and <math>(12 - 5)</math> respectively. Point M is the midpoint of AB and N is the midpoint of OA.</p>	Working Space
	<p>(a) Find:</p> <p>i) The coordinates of N and M ( 3 mks)</p> <p>ii) The magnitude of NM ( 3 mks)</p> <p>(b) Express vector <b>NM</b> in term of <b>OB</b>.</p> <p>(c) Point P maps onto P' by a translation <math>(-5 8)</math>. Given that <b>OP=OM+2MN</b>, find the coordinates of P'</p>	
43	<p><b>2009 Q 6 P2</b></p> <p>Vector <b>OA</b> = <math>(2 1)</math> and <b>OB</b> = <math>(6 - 3)</math>. Point C is on OB such <math>CB=2OC</math> and point D is on AB such that <math>AD=3DB</math>. Express <b>CD</b> as a column vector. ( 3 mks)</p>	
44	<p><b>2010 Q 7 P1</b></p> <p>In the figure below, OPQR is a trapezium in which PQ is parallel to OR and M is the mid-point of QR and <b>OP=p</b>,</p>	

$OR=r$  and  $PQ = \frac{1}{3}OR$ .



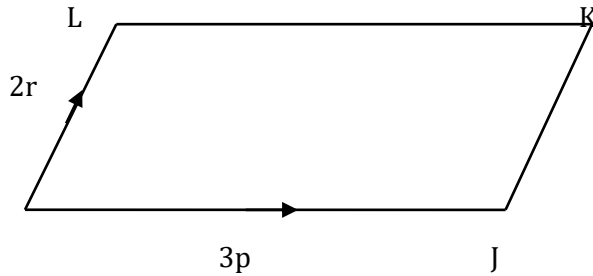
Find  $OM$  in terms of  $p$  and  $r$ .

(3 mks)

Working Space

45 **2010 Q 18 P2**

In the figure below OJKL is a parallelogram in which  $OJ = 3p$  and  $OL = 2r$



a) If A is a point on LK such that  $LA = \frac{1}{2} AK$  and point B divide the line JK externally in the ratio 3:1, express **OB** and **AJ** in terms of **p** and **r**.

(2 marks)

b) Line OB interests AJ at X such that  $\mathbf{OX} = m\mathbf{OB}$  and  $\mathbf{AX} = n\mathbf{AJ}$ .

i) Express **OX** in terms of **p**, **r** and **m**. (1 mark)

ii) Express **OX** in terms of **p**, **r** and **n** (1 mark)

iii) Determine the value of **m** and **n** and hence the ratio in which point x divides line AJ.

(6 marks)

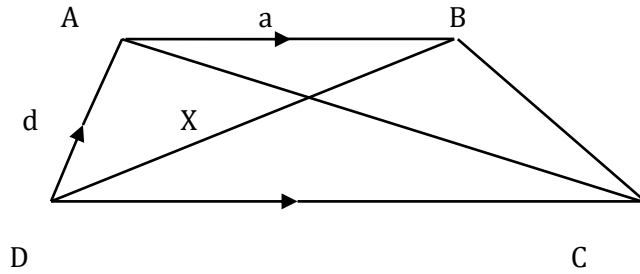
46 **2011 Q 13 P2**

Vector  $\mathbf{OP} = 6\mathbf{i} + \mathbf{j}$  and  $\mathbf{OQ} = -2\mathbf{i} + 5\mathbf{j}$ . A point N divides **PQ** internally in the ratio 3:1. Find **PN** in terms of **i** and **j**.

(3 mks)

47 **2011 Q 23 P1**

In the figure below, ABCD is a trapezium. AB is parallel to DC, diagonals AC and DB intersect at X and  $DC=2AB$ .  $\mathbf{AB}=\mathbf{a}$ ,  $\mathbf{DA}=\mathbf{d}$ ,  $\mathbf{AX}=k\mathbf{AC}$  and  $\mathbf{DX}=h\mathbf{DB}$  where h and k are constants.



- a) Find in terms of a and d
- i) BC ( 2 mks)
  - ii) AX ( 2 mks)
  - iii) DX ( 1 mks)

48 **2012 Q9 P1**  
 Given that  $\mathbf{OA} = 2\mathbf{i} + 3\mathbf{j}$  and  $3\mathbf{i} - 2\mathbf{j}$   
 Find the magnitude of  $\mathbf{AB}$  to one decimal place